

## Learning to Map Sentences to Logical Form

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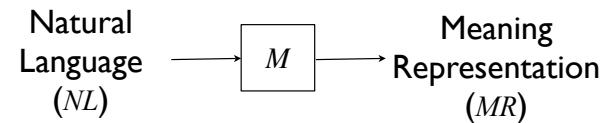
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## Mapping Text to Meaning

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**Input:** (text strings)

- Natural language text

**Output:** (formal meaning representation)

- A representation of the underlying meaning of the input text

**Computation:** (an algorithm  $M$ )

- Recovers the meaning of the input text

## A Challenging Problem

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Building the mapping  $M$ , in the most general form, requires solving natural language understanding.

There are restricted domains that are still challenging:

- Natural language interfaces to databases
- Dialogue systems

## Learning The Mapping

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Why learn:

- Difficult to build by hand
- Learned solutions are potentially more robust

We consider a supervised learning problem:

- Given a training set:  $\{(NL_i, MR_i) \mid i=1..n\}$
- Find the mapping  $M$  that best fits the training set
- Evaluate on unseen test set

## The Setup for This Talk

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*NL*: A single sentence

- usually a question

*MR*: A lambda-calculus expression

- similar to meaning representations used in formal semantics classes in linguistics

*M*: Weighted combinatory categorical grammar (CCG)

- mildly context-sensitive formalism
- explains a wide range of linguistic phenomena: coordination, long distance dependencies, etc.
- models syntax and semantics
- statistical parsing algorithms exist

## A Simple Training Example

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Given training examples like:

Input: What states border Texas?

Output:  $\lambda x. state(x) \wedge borders(x, texas)$

*MR*: Lambda calculus

- Can think of as first-order logic with functions
- Useful for defining the semantics of questions

Challenge for learning:

- Derivations (parses) are not in training set
- We need to recover this missing information

## More Training Examples

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Input: What is the largest state?

Output:  $argmax(\lambda x. state(x), \lambda x. size(x))$

Input: What states border the largest state?

Output:  $\lambda x. state(x) \wedge borders(x, argmax(\lambda y. state(y), \lambda y. size(y)))$

Input: What states border states that border states ... that border Texas?

Output:  $\lambda x. state(x) \wedge \exists y. state(y) \wedge \exists z. state(z) \wedge \dots \wedge borders(x, y) \wedge borders(y, z) \wedge borders(z, texas)$

## Outline

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### Combinatory Categorical Grammars (CCG)

- A learning algorithm: structure and parameters
- Extensions for spontaneous, unedited text
- Future Work: Context-dependent sentences

# CCG

[Steedman 96,00]

## Lexicon

- Pairs natural language phrases with syntactic and semantic information
- Relatively complex: contains almost all information used during parsing

## Parsing Rules (Combinators)

- Small set of relatively simple rules
- Build parse trees bottom-up
- Construct syntax and semantics in parallel

# CCG Lexicon

Words	Category
	Syntax : Semantics
Texas	NP : <i>texas</i>
Kansas	NP : <i>kansas</i>
borders	(S\NP)/NP : $\lambda x.\lambda y.borders(y,x)$
state	N : $\lambda x.state(x)$
Kansas City	NP : <i>kansas_city_MO</i>
...	...

# Parsing: Lexical Lookup

What	states	border	Texas
S/(S\NP)/N	N	(S\NP)/NP	NP
$\lambda f.\lambda g.\lambda x.f(x) \wedge g(x)$	$\lambda x.state(x)$	$\lambda x.\lambda y.borders(y,x)$	<i>texas</i>

# Parsing Rules (Combinators)

## Application

- $X/Y : f \quad Y : a \quad \Rightarrow \quad X : f(a)$   
 $(S\NP)/NP \quad NP \quad S\NP$   
 $\lambda x.\lambda y.borders(y,x) \quad texas \quad \lambda y.borders(y,texas)$
- $Y : a \quad X\Y : f \quad \Rightarrow \quad X : f(a)$   
 $NP \quad S\NP \quad S$   
 $kansas \quad \lambda y.borders(y,texas) \quad borders(kansas,texas)$

## Parsing a Question

What	states	border	Texas
$S / (S \backslash NP) / N$	$N$	$(S \backslash NP) / NP$	$NP$
$\lambda f. \lambda g. \lambda x. f(x) \wedge g(x)$	$\lambda x. state(x)$	$\lambda x. \lambda y. borders(y, x)$	$texas$
$S / (S \backslash NP)$		$S \backslash NP$	
$\lambda g. \lambda x. state(x) \wedge g(x)$		$\lambda y. borders(y, texas)$	
$S$			
$\lambda x. state(x) \wedge borders(x, texas)$			

## Parsing Rules (Combinators)

### Application

- $X/Y : f \quad Y : a \quad \Rightarrow \quad X : f(a)$
- $Y : a \quad X \backslash Y : f \quad \Rightarrow \quad X : f(a)$

### Composition

- $X/Y : f \quad Y/Z : g \quad \Rightarrow \quad X/Z : \lambda x. f(g(x))$
- $Y \backslash Z : g \quad X \backslash Y : f \quad \Rightarrow \quad X \backslash Z : \lambda x. f(g(x))$

### Other Combinators

- Type Raising
- Crossed Composition

## Features, Weights and Scores

X=	What	states	border	Texas
y=	$S / (S \backslash NP) / N$	$N$	$(S \backslash NP) / NP$	$NP$
	$\lambda f. \lambda g. \lambda x. f(x) \wedge g(x)$	$\lambda x. state(x)$	$\lambda x. \lambda y. borders(y, x)$	$texas$
	$S / (S \backslash NP)$		$S \backslash NP$	
	$\lambda g. \lambda x. state(x) \wedge g(x)$		$\lambda y. borders(y, texas)$	
	$S$			
	$\lambda x. state(x) \wedge borders(x, texas)$			

Lexical count features:

$$f(x,y) = [0, 1, 0, 1, 1, 0, 0, 1, \dots, 0]$$

$$w = [-2, 0.1, 0, 2, 1, -3, 0, 0.3, \dots, 0]$$

$$w \cdot f(x,y) = 3.4$$

## Weighted CCG

Weighted linear model  $(\Lambda, f, w)$ :

- CCG lexicon:  $\Lambda$
- Feature function:  $f(x,y) \in \mathbb{R}^m$
- Weights:  $w \in \mathbb{R}^m$

Quality of a parse  $y$  for sentence  $x$

- Score:  $w \cdot f(x,y)$

## Weighted CCG Parsing

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Two computations: sentence  $x$ , parses  $y$ , LF  $z$

- Best parse

$$y^* = \operatorname{argmax}_y w \cdot f(x, y)$$

- Best parse with logical form  $z$

$$\hat{y} = \operatorname{arg} \max_{y \text{ s.t. } L(y)=z} w \cdot f(x, y)$$

We use a CKY-style dynamic-programming algorithm with pruning

## Outline

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- Combinatory Categorical Grammars (CCG)
- ➔ • A learning algorithm: structure and parameters
- Extensions for spontaneous, unedited text
- Future Work: Context-dependent sentences

## A Supervised Learning Approach

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Given a training set:  $\{(x_i, z_i) \mid i=1\dots n\}$

- $x_i$ : a natural language sentence
- $z_i$ : a lambda-calculus expression

Find a weighted CCG that minimizes error

- induce a lexicon  $\Lambda$
- estimate weights  $w$

Evaluate on unseen test set

## Learning: Two Parts

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- GENLEX subprocedure
  - Create an overly general lexicon
- A full learning algorithm
  - Prunes the lexicon and estimates parameters  $w$

## Lexical Generation

### Input Training Example

Sentence: Texas borders Kansas  
Logic Form:  $borders(texas, kansas)$

### Output Lexicon

Words	Category
Texas	NP : $texas$
borders	$(S \setminus NP) / NP : \lambda x. \lambda y. borders(y, x)$
Kansas	NP : $kansas$
...	...

## GENLEX

- **Input:** a training example  $(x_i, z_i)$
- **Computation:**
  1. Create all substrings of words in  $x_i$
  2. Create categories from logical form  $z_i$
  3. Create lexical entries that are the cross product of these two sets
- **Output:** Lexicon  $\Lambda$

## Step 1: GENLEX Words

Input Sentence:  
Texas borders Kansas

### Output Substrings:

Texas  
borders  
Kansas  
Texas borders  
borders Kansas  
Texas borders Kansas

## Step 2: GENLEX Categories

Input Logical Form:  
 $borders(texas, kansas)$

### Output Categories:

...  
...  
...

## Two GENLEX Rules

Input Trigger	Output Category
a constant $c$	NP : $c$
an arity two predicate $p$	$(S \setminus NP) / NP : \lambda x. \lambda y. p(y, x)$

Example Input: *borders (texas, kansas)*

Output Categories:

NP : *texas*  
 NP : *kansas*  
 $(S \setminus NP) / NP : \lambda x. \lambda y. borders(y, x)$

## All of the Category Rules

Input Trigger	Output Category
a constant $c$	NP : $c$
arity one predicate $p$	N : $\lambda x. p(x)$
arity one predicate $p$	$S \setminus NP : \lambda x. p(x)$
arity two predicate $p$	$(S \setminus NP) / NP : \lambda x. \lambda y. p(y, x)$
arity two predicate $p$	$(S \setminus NP) / NP : \lambda x. \lambda y. p(x, y)$
arity one predicate $p$	N/N : $\lambda g. \lambda x. p(x) \wedge g(x)$
arity two predicate $p$ and constant $c$	N/N : $\lambda g. \lambda x. p(x, c) \wedge g(x)$
arity two predicate $p$	$(N \setminus N) / NP : \lambda x. \lambda g. \lambda y. p(y, x) \wedge g(x)$
arity one function $f$	$NP / N : \lambda g. \operatorname{argmax}/\operatorname{min}(g(x), \lambda x. f(x))$
arity one function $f$	$S / NP : \lambda x. f(x)$

## Step 3: GENLEX Cross Product

### Input Training Example

Sentence: Texas borders Kansas  
 Logic Form: *borders (texas, kansas)*

### Output Lexicon

Output Substrings:	Output Categories:
Texas	
borders	
Kansas	
Texas borders	
borders Kansas	
Texas borders Kansas	
	NP : <i>texas</i>
	NP : <i>kansas</i>
	$(S \setminus NP) / NP : \lambda x. \lambda y. borders(x, y)$

GENLEX is the cross product in these two output sets

## GENLEX: Output Lexicon

Words	Category
Texas	NP : <i>texas</i>
Texas	NP : <i>kansas</i>
Texas	$(S \setminus NP) / NP : \lambda x. \lambda y. borders(y, x)$
borders	NP : <i>texas</i>
borders	NP : <i>kansas</i>
borders	$(S \setminus NP) / NP : \lambda x. \lambda y. borders(y, x)$
...	...
Texas borders Kansas	NP : <i>texas</i>
Texas borders Kansas	NP : <i>kansas</i>
Texas borders Kansas	$(S \setminus NP) / NP : \lambda x. \lambda y. borders(y, x)$

# A Learning Algorithm

The approach is:

- **Online:** processes data set one example at a time
- **Able to Learn Structure:** selects a subset of the lexical entries from GENLEX
- **Error Driven:** uses perceptron-style parameter updates

**Inputs:** Training set  $\{(x_i, z_i) \mid i=1 \dots n\}$  of sentences and logical forms.

Initial lexicon  $\Lambda$ . Initial parameters  $w$ . Number of iterations  $T$ .

**Computation:** For  $t = 1 \dots T, i = 1 \dots n$ :

Step 1: Check Correctness

- Let  $y^* = \operatorname{argmax}_y w \cdot f(x_i, y)$
- If  $L(y^*) = z_i$ , go to the next example

Step 2: Lexical Generation

- Set  $\lambda = \Lambda \cup \text{GENLEX}(x_i, z_i)$
- Let  $\hat{y} = \operatorname{argmax}_{y \text{ s.t. } L(y)=z_i} w \cdot f(x_i, y)$
- Define  $\lambda_i$  to be the lexical entries in  $\hat{y}$
- Set lexicon to  $\Lambda = \Lambda \cup \lambda_i$

Step 3: Update Parameters

- Let  $y' = \operatorname{argmax}_y w \cdot f(x_i, y)$
- If  $L(y') \neq z_i$ 
  - Set  $w = w + f(x_i, \hat{y}) - f(x_i, y')$

**Output:** Lexicon  $\Lambda$  and parameters  $w$ .

# Initialization

The initial lexicon has two types of entries:

- **Domain Independent:**

What | S / (S \ NP) / N :  $\lambda f . \lambda g . \lambda x . f(x) \wedge g(x)$

- **Domain Dependent:**

Texas | NP : *texas*

Initial features and weights

- **Features:** count the number of times each lexical entry is used in a parse
- **Initial Weights for Lexical Entries:**
  - From GENLEX: small negative values
  - From initial lexicon: small positive values

# Related Work

Learning semantic parsers:

- Inductive Logic Prog. [Zelle, Mooney 1996; Thompson, Mooney 2002]
- Machine Translation [Papineni et al. 1997; Wong, Mooney 2006, 2007]
- Probabilistic CFG Parsing [Miller et al. 1996; Ge, Mooney 2006]
- Support Vector Mach. [Kate, Mooney 2006; Nguyen et al. 2006]

CCG: [Steedman 1996, 2000]

- Log-linear models [Clark, Curran 2003]
- Multi-modal CCG [Baldrige 2002]
- Wide coverage semantics [Bos et al. 2004]
- CCG Bank [Hockenmaier 2003]



## Experimental Related Work

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COCKTAIL: Tang and Mooney, 2001 (TM01)

- statistical shift-reduce parser learned with ILP techniques

$\lambda$ -WASP: Wong and Mooney 2007 (WM07)

- Builds a synchronous CFG with statistical machine translation techniques

## Experiments

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Two database domains:

- Geo880: (geography)
  - 600 training examples
  - 280 test examples
- Jobs640: (job postings)
  - 500 training examples
  - 140 test examples

## Evaluation

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Test for completely correct semantics

- Precision:  
# correct / total # parsed
- Recall:  
# correct / total # sentences

## Results

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	Geo 880			Jobs 640		
	Prec.	Rec.	F1	Prec.	Rec.	F1
ZC05 <sup>1</sup>	96.25	79.29	<b>86.95</b>	97.36	79.29	<b>87.40</b>
WM07	93.71	80.00	86.31	---	---	---
TM01 <sup>2</sup>	89.92	79.40	84.33	93.25	79.84	86.02

<sup>1</sup> Slightly different algorithm than just presented; performs similarly

<sup>2</sup> Used 10-fold cross validation instead of the fixed test set

## Example Learned Lexical Entries

Words	Category
states	$N : \lambda x.state(x)$
major	$N/N : \lambda g.\lambda x.major(x) \wedge g(x)$
population	$N : \lambda x.population(x)$
cities	$N : \lambda x.city(x)$
traverses	$(S\backslash NP)/NP : \lambda x.\lambda y.traverse(y,x)$
run through	$(S\backslash NP)/NP : \lambda x.\lambda y.traverse(y,x)$
the largest	$NP/N : \lambda g.argmax(g,\lambda x.size(x))$
rivers	$N : \lambda x.river(x)$
the highest	$NP/N : \lambda g.argmax(g,\lambda x.elev(x))$
the longest	$NP/N : \lambda g.argmax(g,\lambda x.len(x))$
...	...

## Outline

- Combinatory Categorical Grammars (CCG)
- A learning algorithm: structure and parameters
- ▶ Extensions for spontaneous, unedited text
- Future Work: Context-dependent sentences

## A New Challenge

Learning CCG grammars works well for complex, grammatical sentences:

**Input:** Show me flights from Newark and New York to San Francisco or Oakland that are nonstop.

**Output:**  $\lambda x.flight(x) \wedge nonstop(x) \wedge (from(x,NEW) \vee from(x,NYC)) \wedge (to(x,SFO) \vee to(x,OAK))$

What about sentences that are common given spontaneous, unedited input?

**Input:** Boston to Prague the latest on Friday.

**Output:**  $argmax(\lambda x.from(x,BOS) \wedge to(x,PRG) \wedge day(x,FRI), \lambda y.time(y))$

We will see an approach that works for both cases.

## Spontaneous, unedited input

The lexical entries that work for:

Show	me	the	latest	flight	from	Boston	to	Prague	on	Friday
$S/NP$		$NP/N$		$N$		$N\backslash N$		$N\backslash N$		$N\backslash N$
...		...		...		...		...		...

Will not parse:

Boston	to	Prague	the	latest	on	Friday
$NP$		$N\backslash N$		$NP/N$		$N\backslash N$
...		...		...		...

## Relaxed Parsing Rules

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Two changes:

- Add application and composition rules that relax word order
- Add type shifting rules to recover missing words

These rules significantly relax the grammar

- Introduce features to count the number of times each new rule is used in a parse
- Integrate into algorithm which should learn to penalize use

## Review: Application

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$$\begin{array}{l} X/Y : f \quad Y : a \Rightarrow X : f(a) \\ Y : a \quad X \backslash Y : f \Rightarrow X : f(a) \end{array}$$

## Disharmonic Application

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- Reverse the direction of the principal category:

$$\begin{array}{l} X \backslash Y : f \quad Y : a \Rightarrow X : f(a) \\ Y : a \quad X/Y : f \Rightarrow X : f(a) \end{array}$$

$$\frac{\frac{\text{flights}}{N} \quad \frac{\text{one way}}{N/N}}{N} \quad \frac{\lambda x. flight(x) \quad \lambda f. \lambda x. f(x) \wedge one\_way(x)}{N}}{\lambda x. flight(x) \wedge one\_way(x)}$$

## Review: Composition

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$$\begin{array}{l} X/Y : f \quad Y/Z : g \Rightarrow X/Z : \lambda x. f(g(x)) \\ Y \backslash Z : g \quad X \backslash Y : f \Rightarrow X \backslash Z : \lambda x. f(g(x)) \end{array}$$

## Disharmonic Composition

- Reverse the direction of the principal category:

$$X \setminus Y : f \quad Y / Z : g \quad \Rightarrow \quad X / Z : \lambda x. f(g(x))$$

$$Y \setminus Z : g \quad X / Y : f \quad \Rightarrow \quad X \setminus Z : \lambda x. f(g(x))$$

<b>to Prague</b>	<b>the latest</b>	<b>flight</b>
<b>N \ N</b>	<b>NP / N</b>	<b>N</b>
$\lambda f. \lambda x. f(x) \wedge to(x, PRG)$	$\lambda f. argmax(\lambda x. f(x), \lambda x. time(x))$	$\lambda x. flight(x)$
<b>NP \ N</b>		
$\lambda f. argmax(\lambda x. f(x) \wedge to(x, PRG), \lambda x. time(x))$		
<b>N</b>		
$argmax(\lambda x. flight(x) \wedge to(x, PRG), \lambda x. time(x))$		

## Missing content words

Insert missing semantic content

- $NP : c \Rightarrow N \setminus N : \lambda f. \lambda x. f(x) \wedge p(x, c)$

<b>flights</b>	<b>Boston</b>	<b>to Prague</b>
<b>N</b>	<b>NP</b>	<b>N \ N</b>
$\lambda x. flight(x)$	$BOS$	$\lambda f. \lambda x. f(x) \wedge to(x, PRG)$
<b>N \ N</b>		
$\lambda f. \lambda x. f(x) \wedge from(x, BOS)$		
<b>N</b>		
$\lambda x. flight(x) \wedge from(x, BOS)$		
<b>N</b>		
$\lambda x. flight(x) \wedge from(x, BOS) \wedge to(x, PRG)$		

## Missing content-free words

Bypass missing nouns

- $N \setminus N : f \Rightarrow N : f(\lambda x. true)$

<b>Northwest Air</b>	<b>to Prague</b>
<b>N / N</b>	<b>N \ N</b>
$\lambda f. \lambda x. f(x) \wedge airline(x, NWA)$	$\lambda f. \lambda x. f(x) \wedge to(x, PRG)$
<b>N</b>	
$\lambda x. airline(x, NWA) \wedge to(x, PRG)$	

## A Complete Parse

<b>Boston</b>	<b>to Prague</b>	<b>the latest</b>	<b>on Friday</b>
<b>NP</b>	<b>N \ N</b>	<b>NP / N</b>	<b>N \ N</b>
$BOS$	$\lambda f. \lambda x. f(x) \wedge to(x, PRG)$	$\lambda f. argmax(\lambda x. f(x), \lambda x. time(x))$	$\lambda f. \lambda x. f(x) \wedge day(x, FRI)$
<b>N \ N</b>			
$\lambda f. \lambda x. f(x) \wedge from(x, BOS)$			
<b>N \ N</b>			
$\lambda f. \lambda x. f(x) \wedge from(x, BOS) \wedge to(x, PRG)$			
<b>NP \ N</b>			
$\lambda f. argmax(\lambda x. f(x) \wedge from(x, BOS) \wedge to(x, PRG), \lambda x. time(x))$			
<b>N</b>			
$argmax(\lambda x. from(x, BOS) \wedge to(x, PRG) \wedge day(x, FRI), \lambda x. time(x))$			

**Inputs:** Training set  $\{(x_i, z_i) \mid i=1 \dots n\}$  of sentences and logical forms.

Initial lexicon  $\Lambda$ . Initial parameters  $w$ . Number of iterations  $T$ .

**Computation:** For  $t = 1 \dots T, i = 1 \dots n$ :

Step 1: Check Correctness

- Let  $y^* = \underset{y}{\operatorname{argmax}} w \cdot f(x_i, y)$
- If  $L(y^*) = z_i$ , go to the next example

Step 2: Lexical Generation

- Set  $\lambda = \Lambda \cup \text{GENLEX}(x_i, z_i)$
- Let  $\hat{y} = \underset{y \text{ s.t. } L(y)=z_i}{\operatorname{argmax}} w \cdot f(x_i, y)$
- Define  $\lambda_i$  to be the lexical entries in  $\hat{y}$
- Set lexicon to  $\Lambda = \Lambda \cup \lambda_i$

Step 3: Update Parameters

- Let  $y' = \underset{y}{\operatorname{argmax}} w \cdot f(x_i, y)$
- If  $L(y') \neq z_i$ 
  - Set  $w = w + f(x_i, \hat{y}) - f(x_i, y')$

**Output:** Lexicon  $\Lambda$  and parameters  $w$ .

## Related Work for Evaluation

Hidden Vector State Model: He and Young 2006 (HY06)

- Learns a probabilistic push-down automaton with EM

$\lambda$ -WASP: Wong & Mooney 2007 (WM07)

- Builds a synchronous CFG with statistical machine translation techniques

Zettlemoyer and Collins 2005 (ZC05)

- Uses GENLEX without relaxed grammar

## Two Natural Language Interfaces

ATIS (travel planning)

- Manually-transcribed speech queries
- 4500 training examples
- 500 example development set
- 500 test examples

Geo880 (geography)

- Edited sentences
- 600 training examples
- 280 test examples

## Evaluation Metrics

Precision, Recall, and F-measure for:

- Completely correct logical forms
- Attribute / value partial credit

$\lambda x. \text{flight}(x) \wedge \text{from}(x, \text{BOS}) \wedge \text{to}(x, \text{PRG})$

is represented as:

$\{\text{flight}, \text{from} = \text{BOS}, \text{to} = \text{PRG}\}$

## Two-Pass Parsing

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Simple method to improve recall:

- For each test sentence that can not be parsed:
  - Reparse with word skipping
  - Every skipped word adds a constant penalty
  - Output the highest scoring new parse

We report results with and without this two-pass parsing strategy

## ATIS Test Set

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Exact Match Accuracy:

	Precision	Recall	F1
Single-Pass	90.61	81.92	<b>86.05</b>
Two-Pass	85.75	84.60	85.16

## ATIS Test Set

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Partial Credit Accuracy:

	Precision	Recall	F1
Single-Pass	96.76	86.89	91.56
Two-Pass	95.11	96.71	<b>95.9</b>
HY 2006	---	---	90.3

## Geo880 Test Set

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Exact Match Accuracy:

	Precision	Recall	F1
Single-Pass	95.49	83.20	<b>88.93</b>
Two-Pass	91.63	86.07	88.76
ZC 05	96.25	79.29	86.95
WM 07	93.72	80.00	86.31

## ATIS Development Set

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Exact Match Accuracy:

	Precision	Recall	F1
Full method	87.26	74.44	<b>80.35</b>
Without features for new rules	70.33	42.45	52.95
Without relaxed word order rules	82.81	63.98	72.19
Without missing word rules	77.31	56.94	65.58

## Summary

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We presented an algorithm that:

- Learns the lexicon and parameters for a weighted CCG
- Uses online, error-driven updates

We extended it to parse spontaneous, unedited sentences

- Improves accuracy while maintaining the advantages of using a detailed grammatical formalism

We are currently working on learning context-dependent parsers

## Future Work: Meaning is context dependent

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Input: Show me flights to Pittsburgh

Output:  $\lambda x. flight(x) \wedge to(x, PIT)$

Input: from Boston nonstop

Output:  $\lambda x. flight(x) \wedge nonstop(x) \wedge to(x, PIT) \wedge from(x, BOS)$

Input: Give me the cheapest one

Output:  $argmin(\lambda x. flight(x) \wedge nonstop(x) \wedge to(x, PIT) \wedge from(x, BOS), \lambda x. cost(x))$

## Context-dependent data

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### Modified ATIS dialogues

- Extract user statements
- Label each statement with context-dependent meaning (by converting original SQL)
- 400 dialogues ( $\approx 3000$  queries)
  - average 7.5 per dialogue, min 2, max 55
- All of the challenges from previous work still apply but must also model context

The End

Thanks

## Can correct previous statements

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**Input:** Show me flights to Pittsburgh on  
thursday night

**Output:**  $\lambda x. flight(x) \wedge to(x, PIT) \wedge day(x, THU)$   
 $\wedge during(x, PM)$

**Input:** friday before 10am

**Output:**  $\lambda x. flight(x) \wedge to(x, PIT) \wedge day(x, FRI)$   
 $\wedge time(x) < 1000$

When do we copy content from previous statements, what  
do we change?

## Can refer to sets

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**Input:** What airlines fly to Pittsburgh.

**Output:**  $\lambda x. airline(x) \wedge$   
 $\exists y. flight(y) \wedge to(y, PIT) \wedge operates(y, x)$

**Input:** Which of these flights are nonstop.

**Output:**  $\lambda x. flight(x) \wedge to(x, PIT) \wedge nonstop(x)$

Which variables define the sets?

## We may need world knowledge

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**Input:** Show me flights from Boston to  
Pittsburgh

**Output:**  $\lambda x. flight(x) \wedge from(x, BOS) \wedge to(y, PIT)$

**Input:** List return flights

**Output:**  $\lambda x. flight(x) \wedge from(x, PIT) \wedge to(y, BOS)$

These types of sequences are challenging but relatively rare.